



Elmer

Pre-processing utilities within ElmerSolver

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Alternatives for increasing mesh resolution



- ➊ Use of higher order nodal elements
 - Elmer supports 2nd to 4th order nodal elements
 - Unfortunately not all preprocessing steps are equally well supported for higher order elements
 - ➋ E.g. Netgen output supported only for linear elements
- ➋ Use of hierarchical p-element basis functions
 - Support up to 10th degree polynomials
 - In practice Element = $p:2$, or $p:3$
 - Not supported in all Solvers
- ➌ Mesh multiplication
 - Subdivision of elements by splitting

Note on bottle-necks in pre-processing

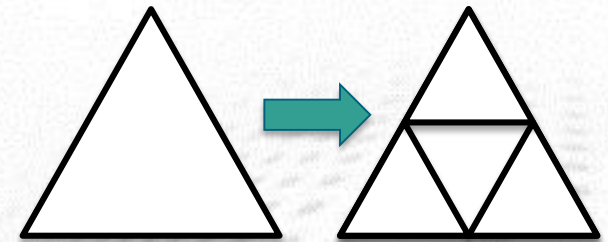


- After the solution pre-processing is typically the 2nd most time- and memory intensive task
- Mesh partitioning is typically less laborious than mesh generation
 - In Elmer we haven't utilized parallel graph partitioning libraries (e.g. ParMetis)
- Serial mesh generation limited to around ~10 M elements
- Finalizing the mesh in parallel level within ElmerSolver may be used to eliminate this bottle-neck

Finalizing the mesh in parallel level



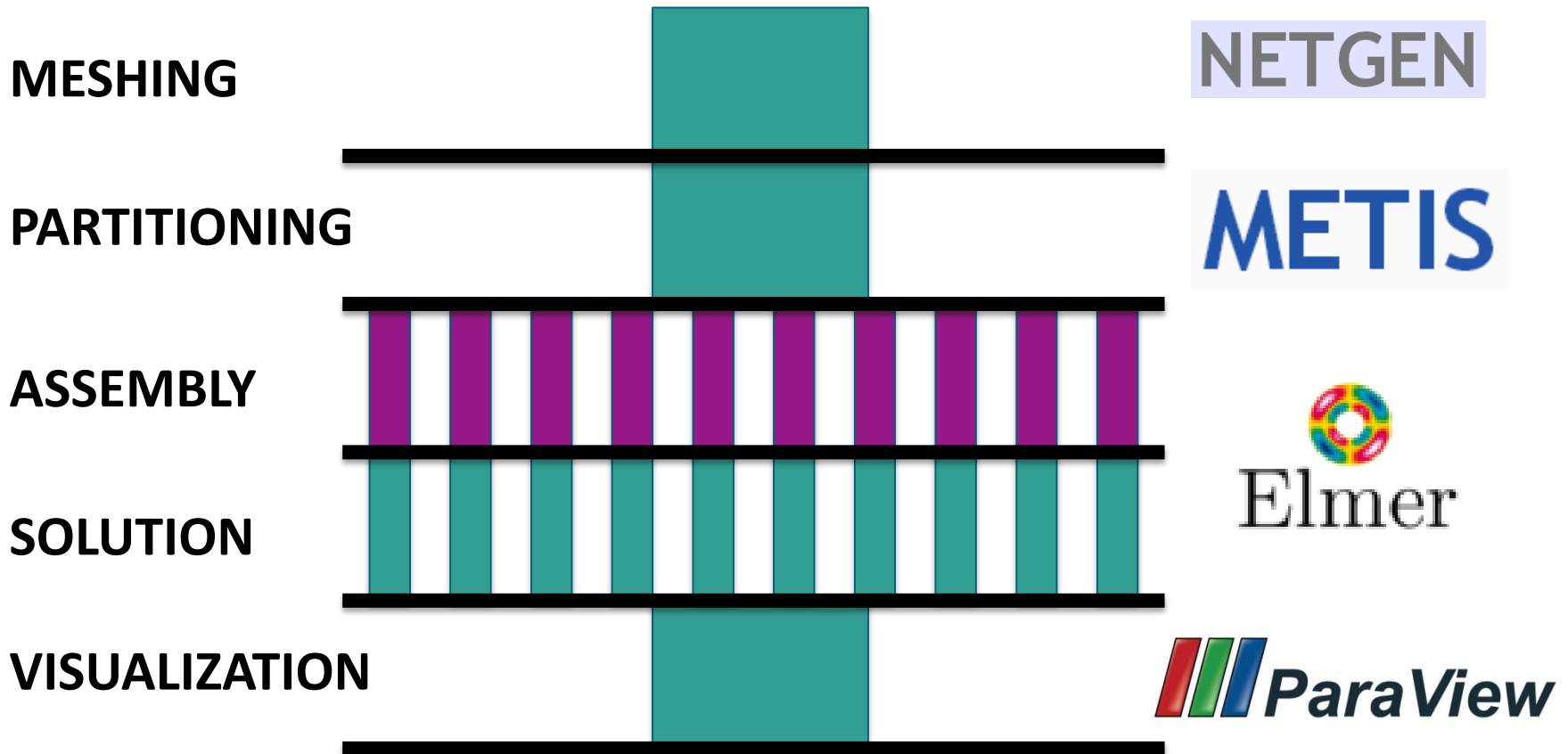
- First make a coarse mesh and partition it
- Bisection of existing elements in each direction
 - 2^{DIM^n} -fold problem-size
 - Known as "**Mesh Multiplication**"
 - Simple inheritance of mesh grading
- Increase of element order (p-elements)
 - p-hierarchy enables the use of p-multigrid
- Extrusion of 2D layer into 3D for special cases
 - Example: Greenland Ice-sheet



Standard parallel workflow



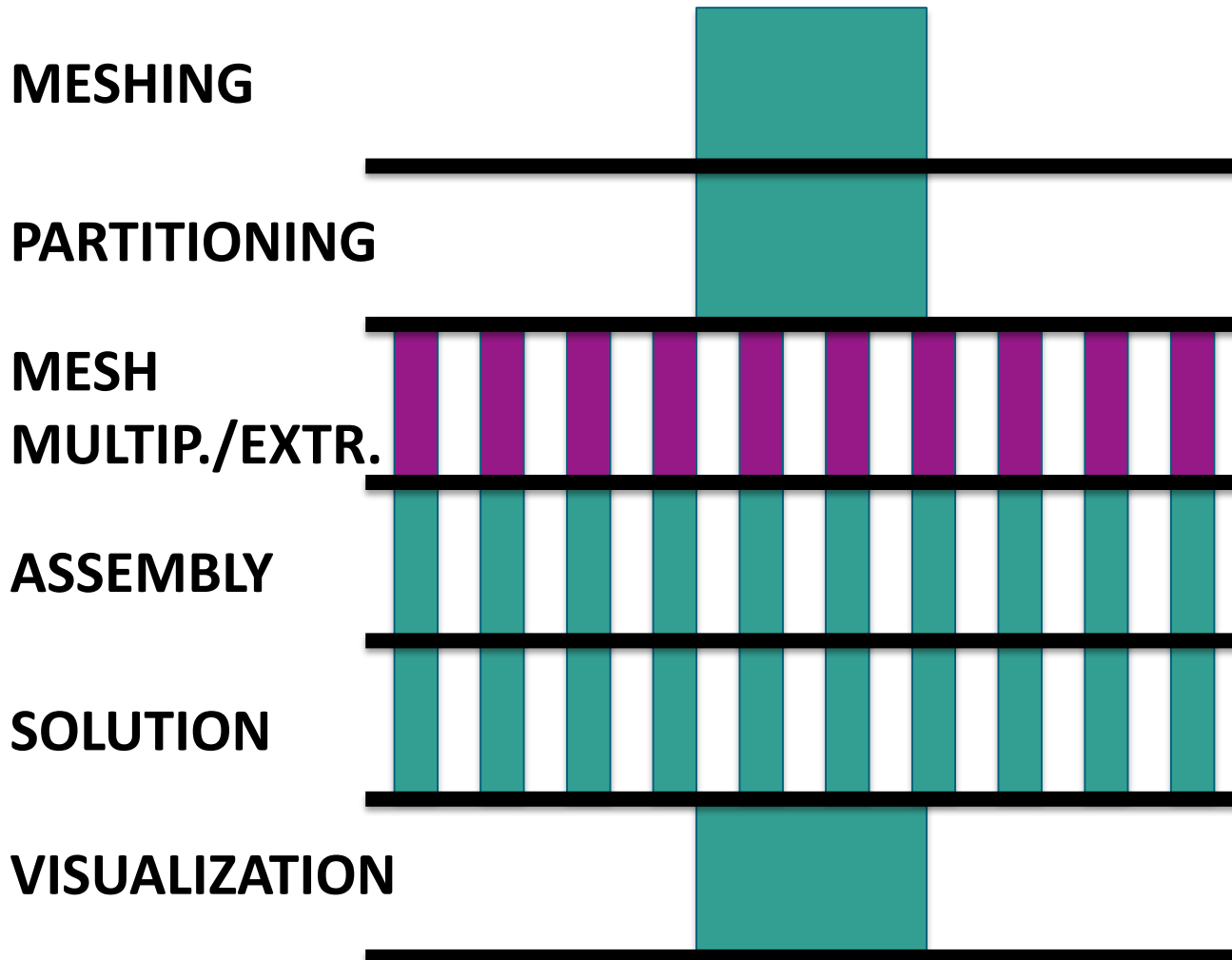
- Both assembly and solution is done in parallel using MPI
- Assembly is trivially parallel
- This is the basic parallel workflow used for Elmer



Parallel workflow



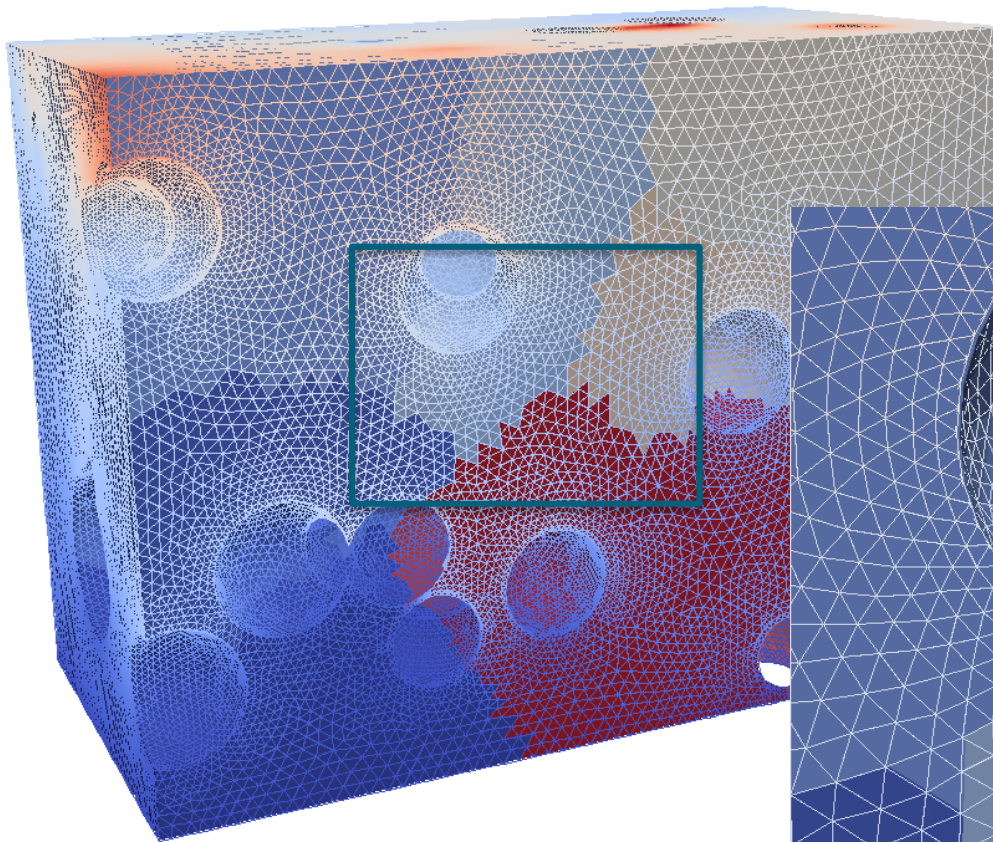
- Large meshes may be finalized at the parallel level



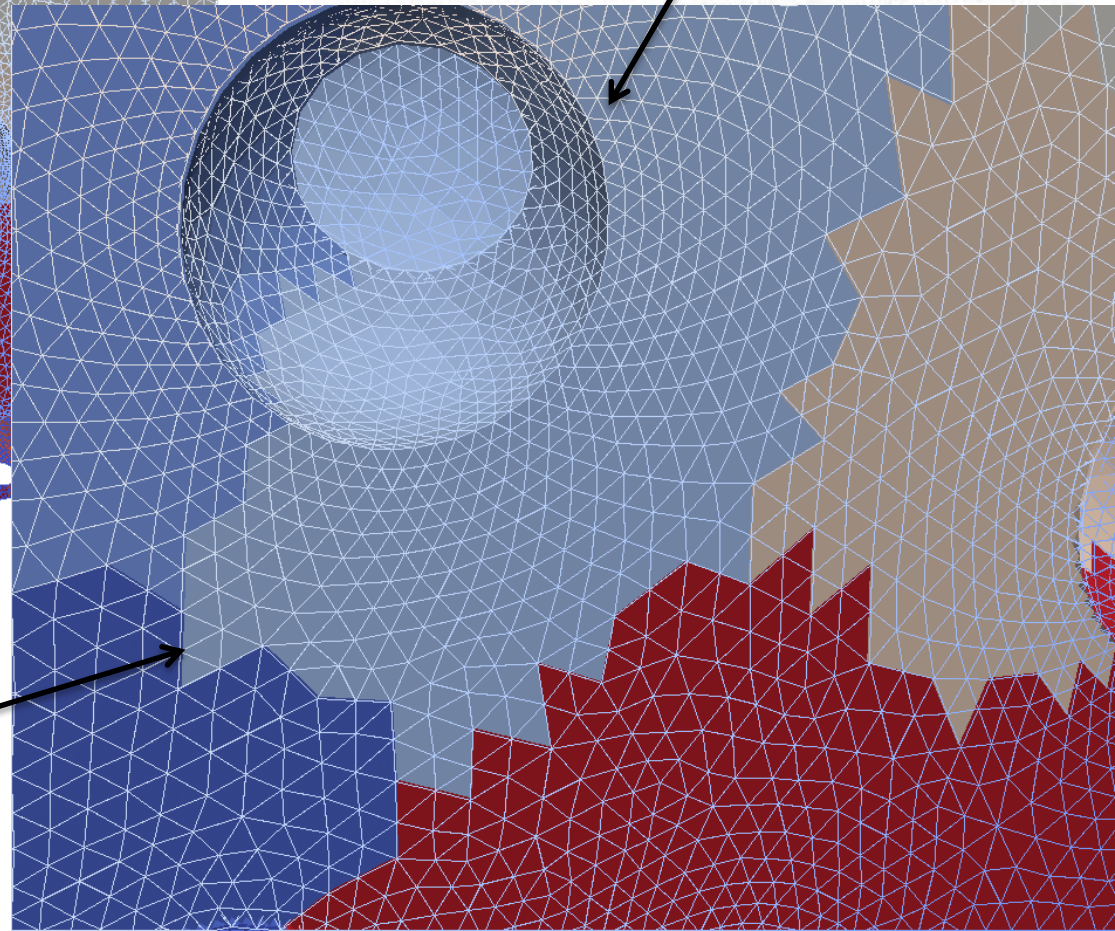
Mesh multiplication, example



Mesh Levels = 2



Mesh grading nicely preserved



Splitting effects visible in partition interfaces

Mesh Multiplication, example



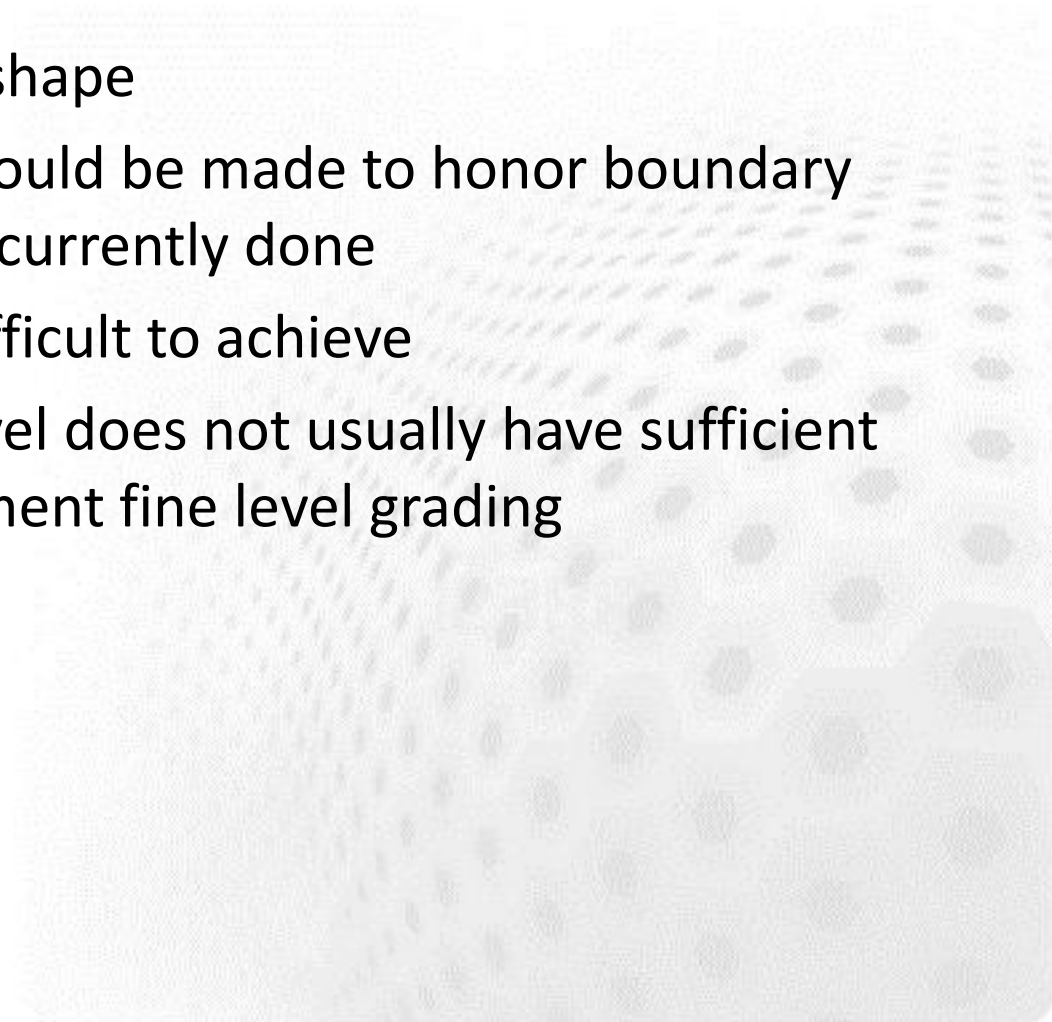
- Implemented in Elmer as internal strategy ~2005
- Mesh multiplication was applied to two meshes
 - Mesh A: structured, 62500 hexahedrons
 - Mesh B: unstructured, 65689 tetrahedrons
- The CPU time used is negligible

Mesh	#splits	#elems	#procs	T_center (s)	T_graded (s)
A	2	4 M	12	0.469	0.769
	2	4 M	128	0.039	0.069
	3	32 M	128	0.310	0.549
B	2	4.20 M	12	0.369	
	2	4.20 M	128	0.019	
	3	33.63 M	128	0.201	

Limitations of mesh multiplication



- Standard mesh multiplication does not increase geometric accuracy
 - Polygons retain their shape
 - Mesh multiplication could be made to honor boundary shapes but this is not currently done
- Optimal mesh grading difficult to achieve
 - The coarsest mesh level does not usually have sufficient information to implement fine level grading



Extrusion of partitioned meshes

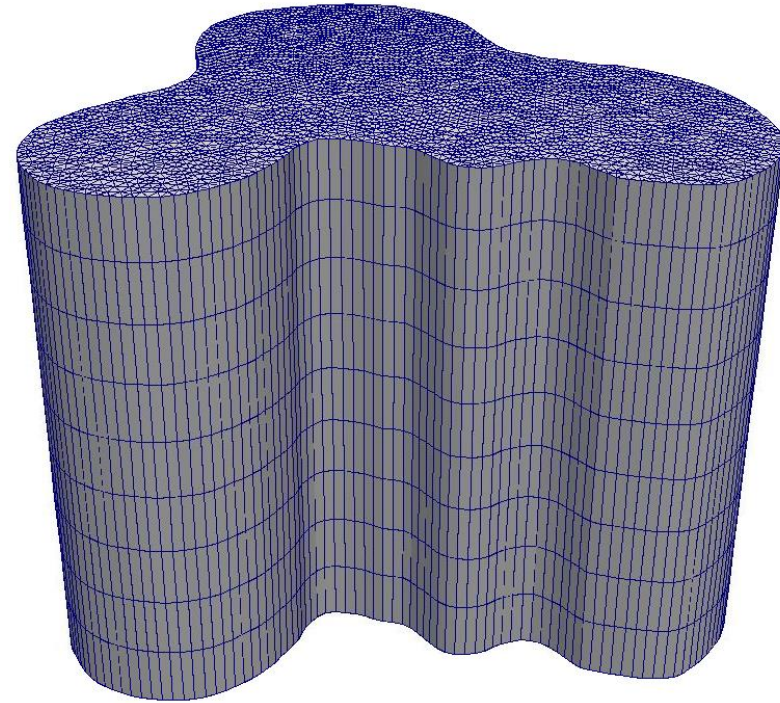


- Implemented as an internal strategy in ElmerSolver
- Start from an initial 2D mesh and then extrude into 3D
- Implemented also for partitioned meshes
 - Extruded lines belong to the same partition by construction!
- Deterministic, i.e. element and node numbering determined by the 2D mesh
 - Complexity: $O(N)$
- There are many problems of practical problems where the mesh extrusion of a initial 2D mesh provides a good solution
 - One such field is glaciology where glaciers are thin, yet the 2D approach is not always sufficient in accuracy

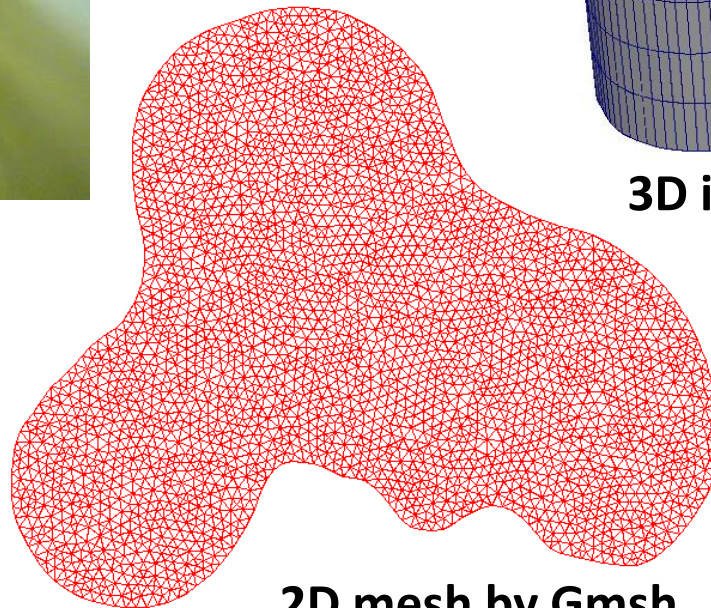
Internal extrusion example: Aalto Vase



Design Alvar
Aalto, 1936



3D internally extruded mesh



2D mesh by Gmsh

Deforming meshes

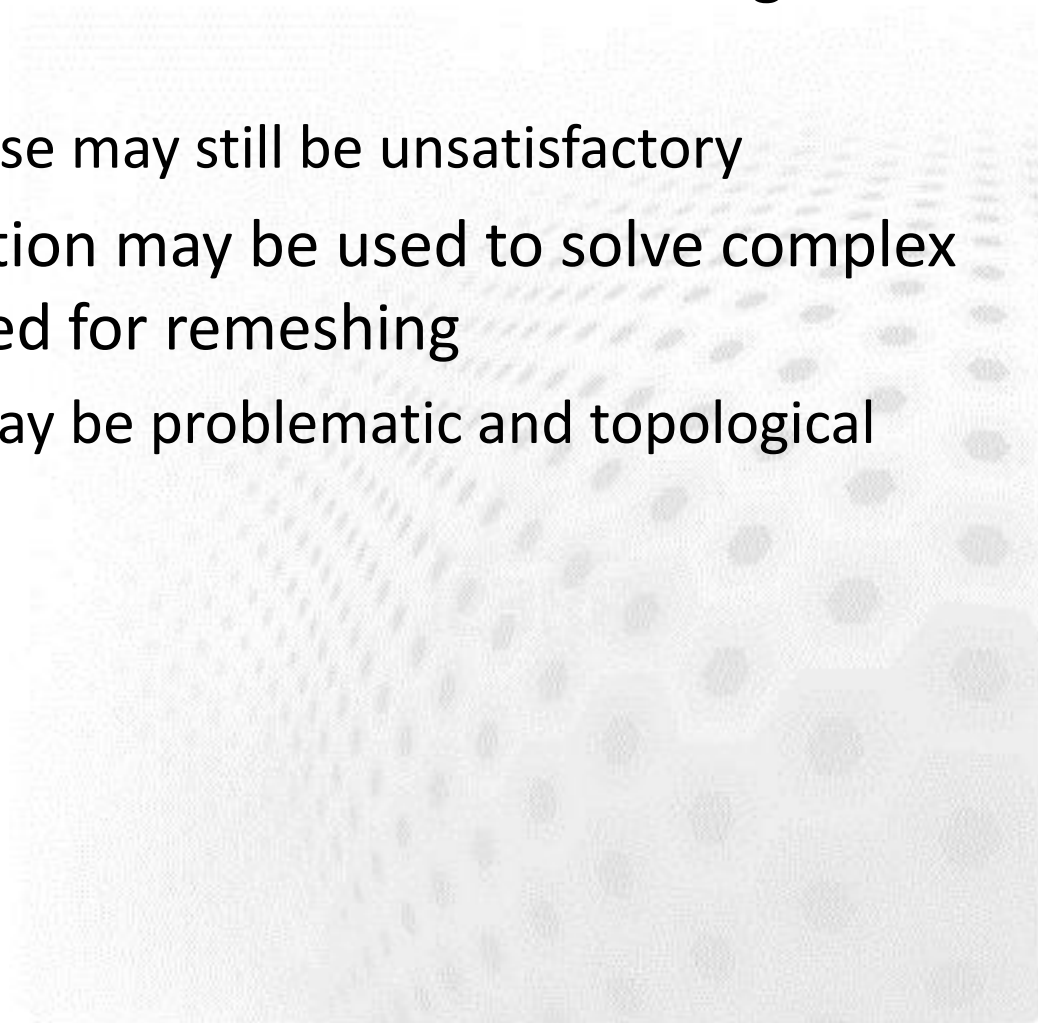


- Meshes may be internally deformed
- **MeshUpdate** solver uses linear elasticity to deform the mesh
- **RigidMeshMapper** uses rigid deformations and their smooth transitions to deform the mesh
- Deforming meshes have number of uses
 - Deforming structures in multiphysics simulation
 - E.g. fluid-structure interaction
 - Rotating & sliding structures
 - Geometry optimization
 - Mesh topology remains unchanged

Conclusions on internal meshing features



- ➊ There are number of ways to increase the resolution of solution within ElmerSolver that eliminate meshing bottle-necks
 - For complex cases these may still be unsatisfactory
- ➋ Internal mesh deformation may be used to solve complex problems without a need for remeshing
 - Large deformations may be problematic and topological changes impossible





Elmer

Post-processing utilities within ElmerSolver

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Postprocessing utilities in ElmerSolver



- Apart from saving distributed data there is a larger number of capabilities within ElmerSolver to treat data within ElmerSolver
 - Data reduction
 - nD -> 1D, 0D
 - Data averaging and filtering over time (FilterTimeSeries)
 - Derived fields (gradient, curl, divergence,...)
 - Creating fields of material properties
- This functionality is often achieved by use of atomic auxiliary solvers

Exporting 2D/3D data: ResultOutputSolve



- Apart from saving the results in .ep format it is possible to use other postprocessing tools
- ResultOutputSolve offers several formats
 - vtk: Visualization toolkit legacy format
 - vtu: Visualization toolkit XML format
 - Gid: GiD software from CIMNE: <http://gid.cimne.upc.es>
 - Gmsh: Gmsh software: <http://www.geuz.org/gmsh>
 - Dx: OpenDx software
- **Vtu** is the recommended format!
 - offers parallel data handling capabilities
 - Has binary and single precision formats for saving disk space
 - Suffix **.vtu** in Post File does this automatically

Exporting 2D/3D data: ResultOutputSolve

An example shows how to save data in unstructured XML VTK (.vtu) files to directory "results" in single precision binary format.

Solver n

```
Exec Solver = after timestep
```

```
Equation = "result output"
```

```
Procedure = "ResultOutputSolve" "ResultOutputSolver"
```

```
Output File Name = "case"
```

```
Output Format = String "vtu"
```

```
Binary Output = True
```

```
Single Precision = True
```

End

Derived fields



- Many solvers have internal options for computing derived fields (fluxes, heating powers,...)
- Elmer offers several auxiliary solvers
 - SaveMaterials: makes a material parameter into field variable
 - Streamlines: computes the streamlines of 2D flow
 - FluxComputation: given potential, computes the flux $q = -c \nabla \phi$
 - VorticitySolver: computes the vorticity of flow, $w = \nabla \times \phi$
 - PotentialSolver: given flux, compute the potential $-c \nabla \phi = q$
 - Filtered Data: compute filtered data from time series (mean, fourier coefficients,...)
 - ...
- Usually auxiliary data need to be computed only after the iterative solution is ready
 - Exec Solver = after timestep
 - Exec Solver = after all
 - Exec Solver = before saving

Derived nodal data



- By default Elmer operates on distributed fields but sometimes nodal values are of interest
 - Multiphysics coupling may also be performed alternatively using nodal values for computing and setting loads
- Elmer computes the nodal loads from $Ax=b$ where A , and b are saved before boundary conditions are applied
 - **Calculate Loads = True**
- This is the most consistent way of obtaining boundary loads
- Note: the nodal data is really pointwise
 - expressed in units N, C, W etc.
(rather than N/m^2 , C/m^2 , W/m^2 etc.)
 - For comparison with distributed data divided by the \sim size of the surface elements

Derived lower dimensional data



➤ Derived boundary data

- SaveLine: Computes fluxes on-the-fly

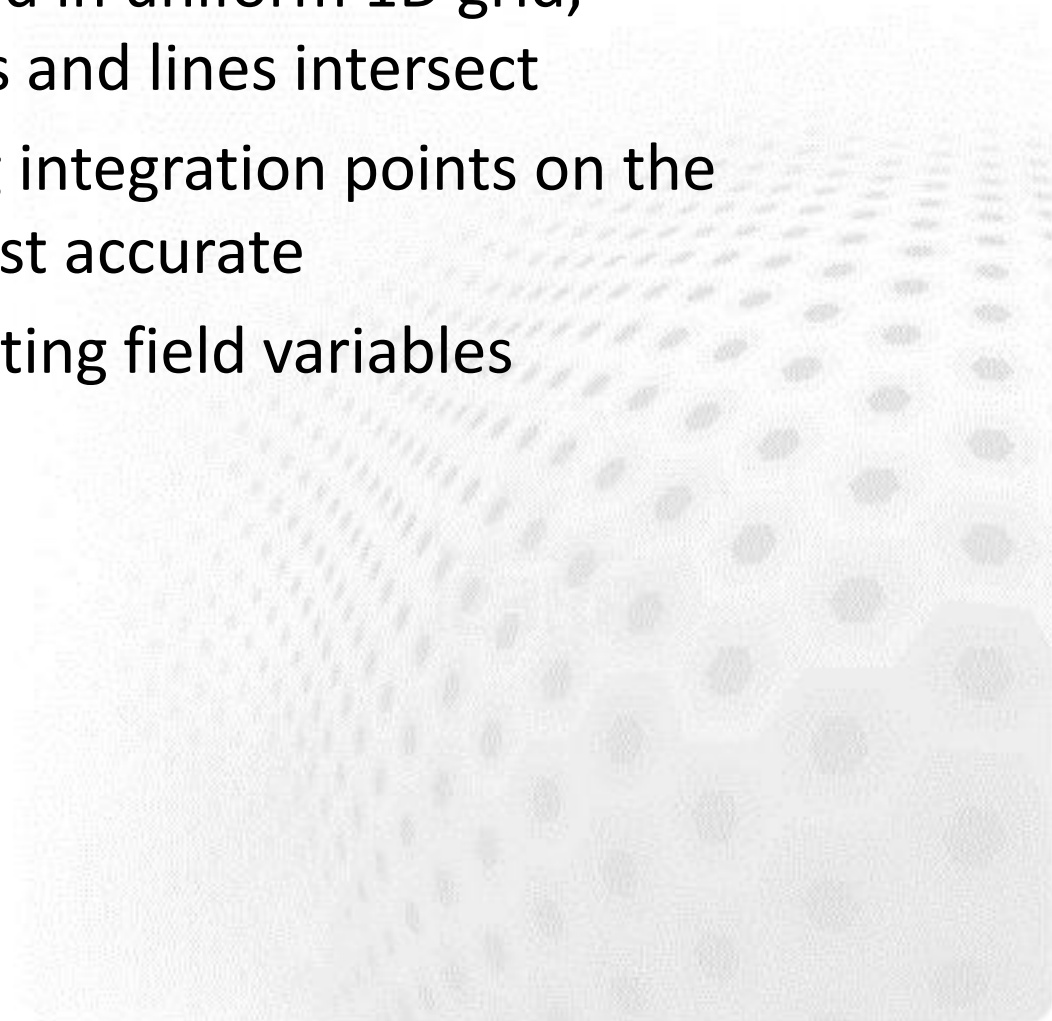
➤ Derived lumped (or 0D) data

- SaveScalars: Computes a large number of different quantities on-the-fly
- FluidicForce: compute the fluidic force acting on a surface
- ElectricForce: compute the electrostatic force using the Maxwell stress tensor
- Many solvers compute lumped quantities internally for later use
(Capacitance, Lumped spring,...)

Saving 1D data: SaveLine



- Lines of interest may be defined on-the-fly
- Data can either be saved in uniform 1D grid, or where element faces and lines intersect
- Flux computation using integration points on the boundary – not the most accurate
- By default saves all existing field variables



Saving 1D data: SaveLine...



```
Solver n
```

```
Equation = "SaveLine"
```

```
Procedure = File "SaveData" "SaveLine"
```

```
Filename = "g.dat"
```

```
File Append = Logical True
```

```
Polyline Coordinates(2,2) = Real 0.0 1.0 0.0 2.0
```

```
End
```

```
Boundary Condition m
```

```
Save Line = Logical True
```

```
End
```

Saving 0D data: SaveScalars



Operators on bodies

- Statistical operators
 - Min, max, min abs, max abs, mean, variance, deviation
- Integral operators (quadratures on bodies)
 - volume, int mean, int variance
 - Diffusive energy, convective energy, potential energy

Operators on boundaries

- Statistical operators
 - Boundary min, boundary max, boundary min abs, max abs, mean, boundary variance, boundary deviation, boundary sum
 - Min, max, minabs, maxabs, mean
- Integral operators (quadratures on boundary)
 - area
 - Diffusive flux, convective flux

Other operators

- nonlinear change, steady state change, time, timestep size,...

Saving OD data: SaveScalars...



```
Solver n
```

```
  Exec Solver = after timestep
```

```
  Equation = String SaveScalars
```

```
  Procedure = File "SaveData" "SaveScalars"
```

```
  Filename = File "f.dat"
```

```
  Variable 1 = String Temperature
```

```
  Operator 1 = String max
```

```
  Variable 2 = String Temperature
```

```
  Operator 2 = String min
```

```
  Variable 3 = String Temperature
```

```
  Operator 3 = String mean
```

```
End
```

```
Boundary Condition m
```

```
  Save Scalars = Logical True
```

```
End
```


Case: TwelveSolvers

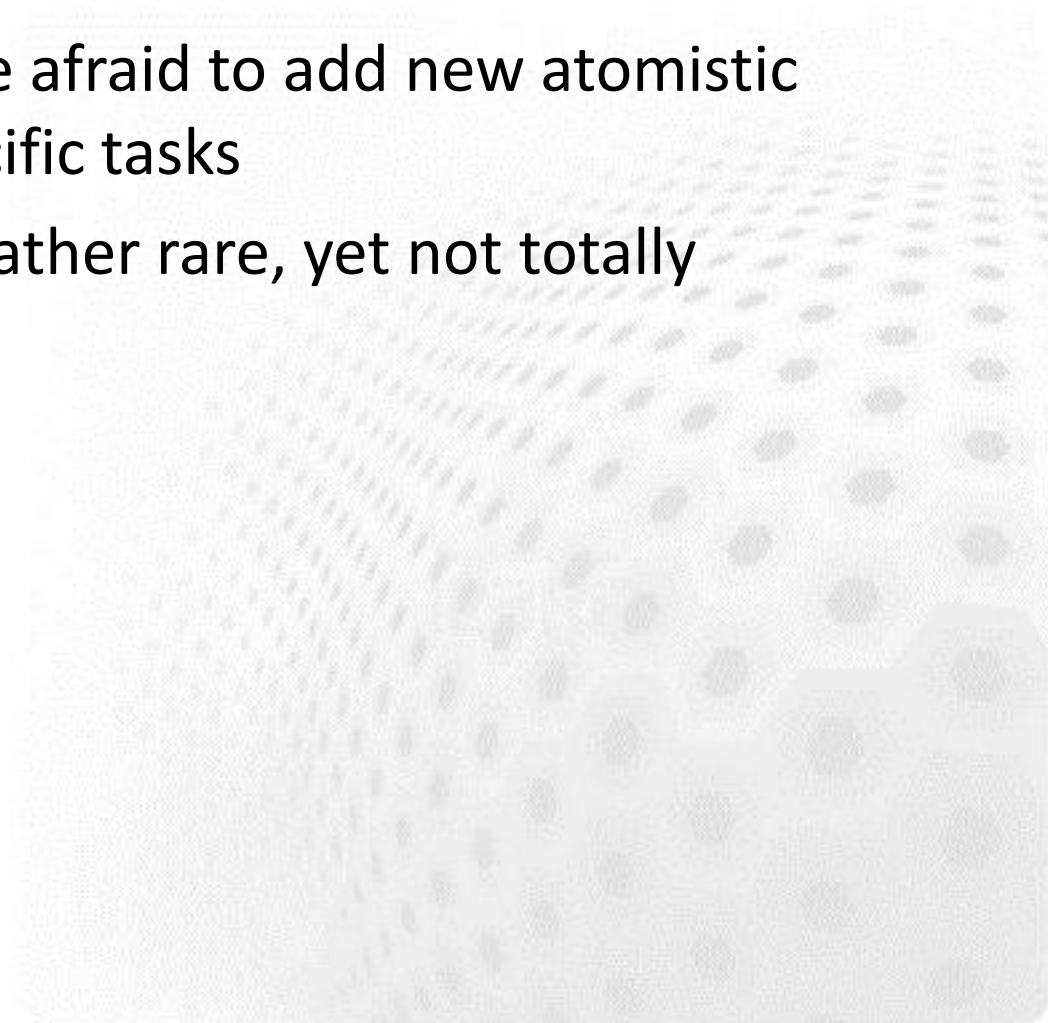
Natural convection with ten auxiliary solvers



Case: Motivation



- The purpose of the example is to show the flexibility of the modular structure
- The users should not be afraid to add new atomistic solvers to perform specific tasks
- A case of 12 solvers is rather rare, yet not totally unrealistic

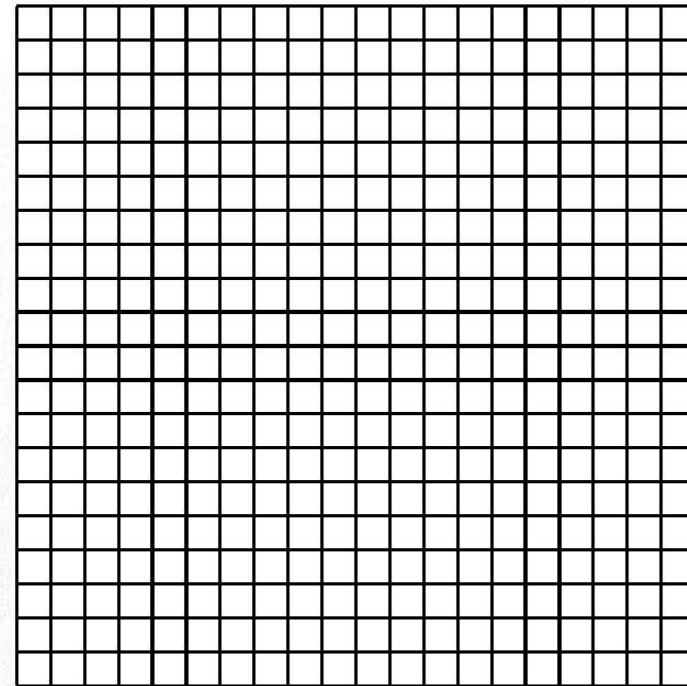


Case: preliminaries



- Square with hot wall on right and cold wall on left
- Filled with viscous fluid
- Bouyancy modeled with Boussinesq approximation
- Temperature difference initiates a convection roll

COLD



HOT

Case: 12 solvers

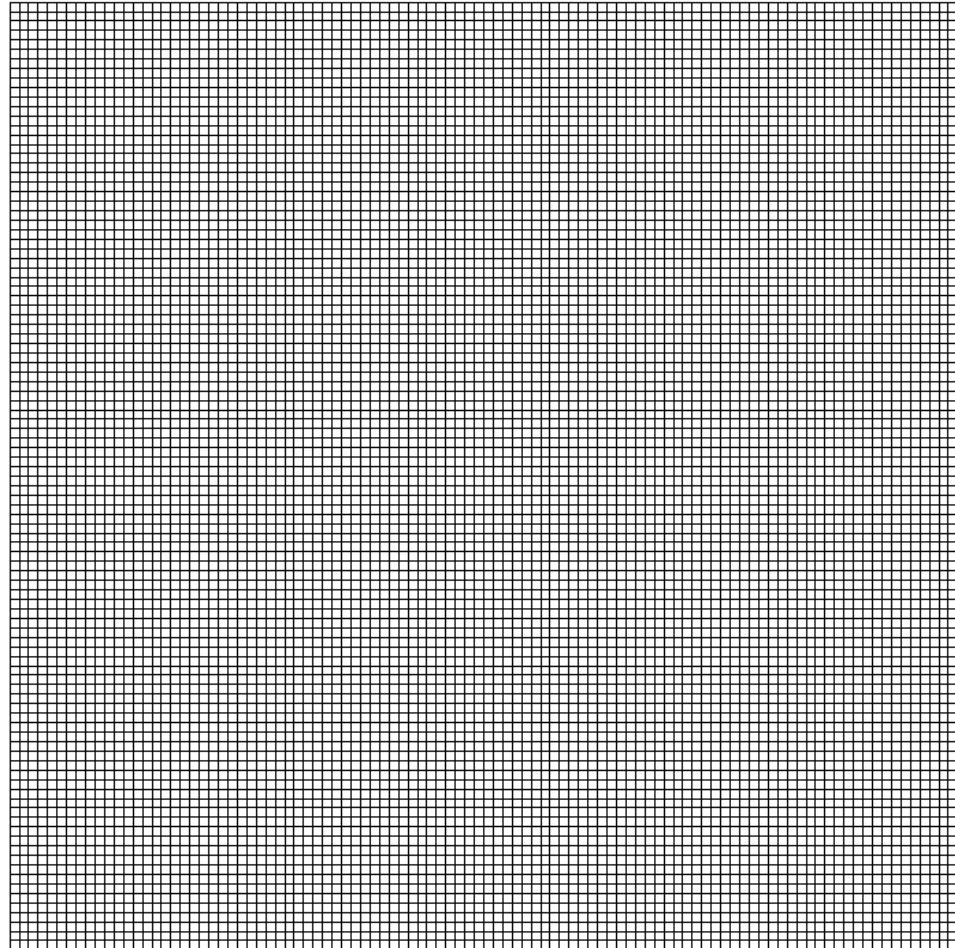


1. **HeatSolver**
2. **FlowSolver**
3. **FluxSolver**: solve the heat flux
4. **StreamSolver**: solve the stream function
5. **VorticitySolver**: solve the vorticity field (curl of vector field)
6. **DivergenceSolver**: solve the divergence
7. **ShearrateSolver**: calculate the shearrate
8. **IsosurfaceSolver**: generate an isosurface at given value
9. **ResultOutputSolver**: write data
10. **SaveGridData**: save data on uniform grid
11. **SaveLine**: save data on given lines
12. **SaveScalars**: save various reductions

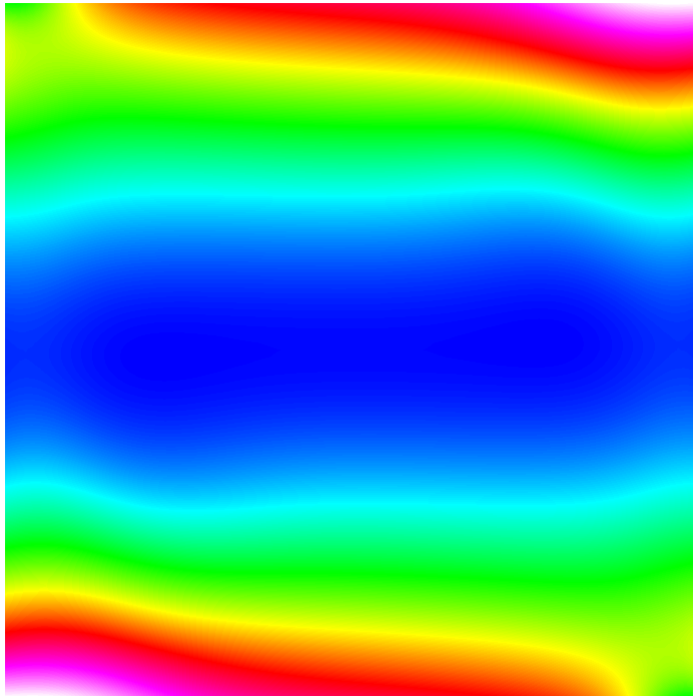
Case: Computational mesh



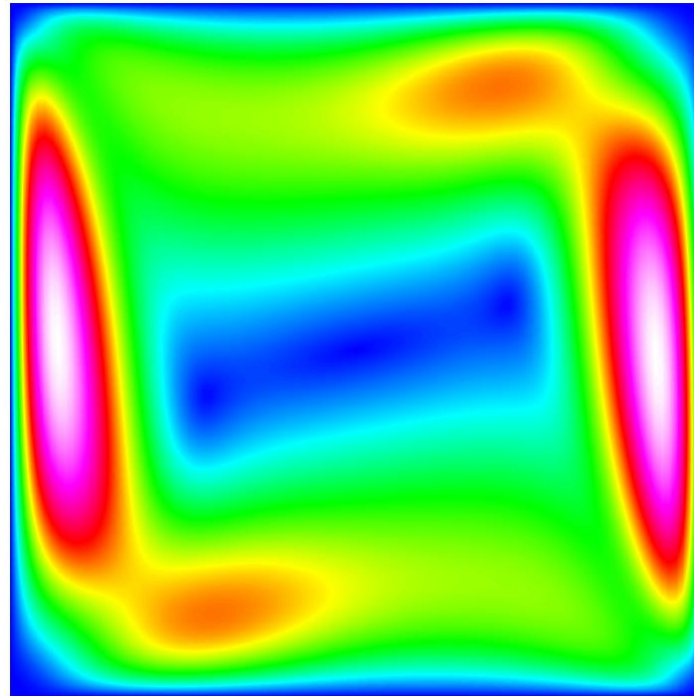
10000 bilinear
elements



Case: Navier-Stokes, primary fields

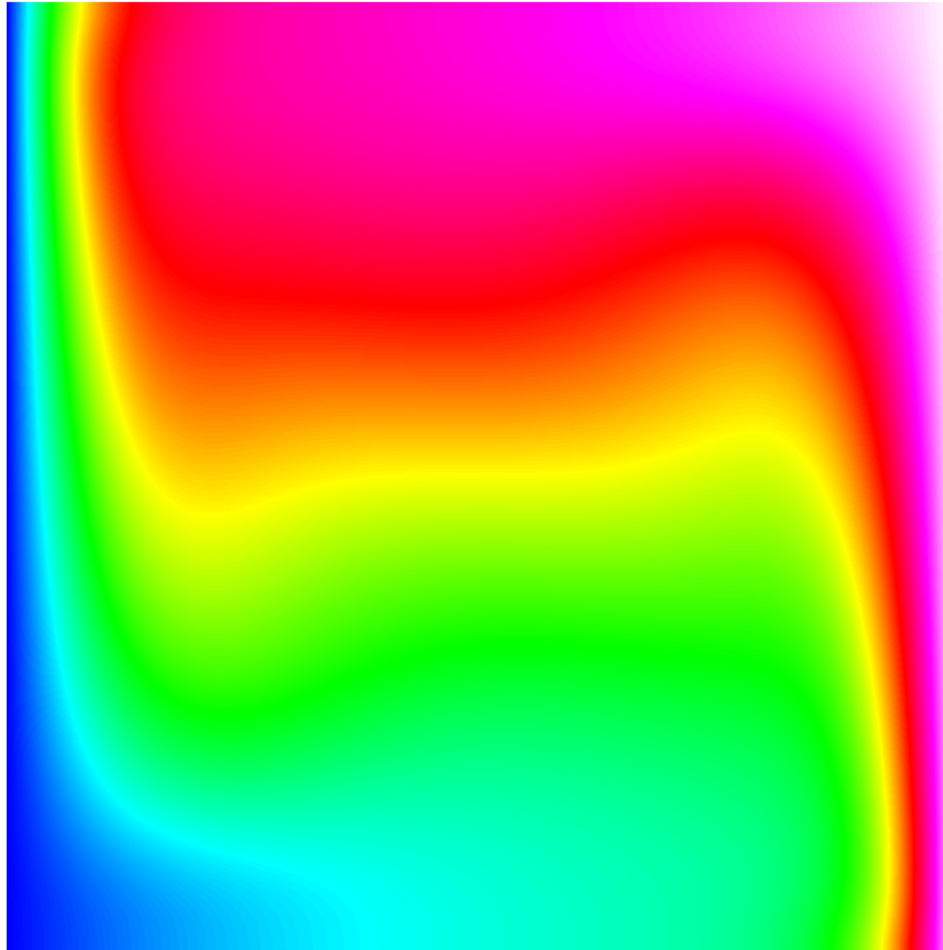


Pressure

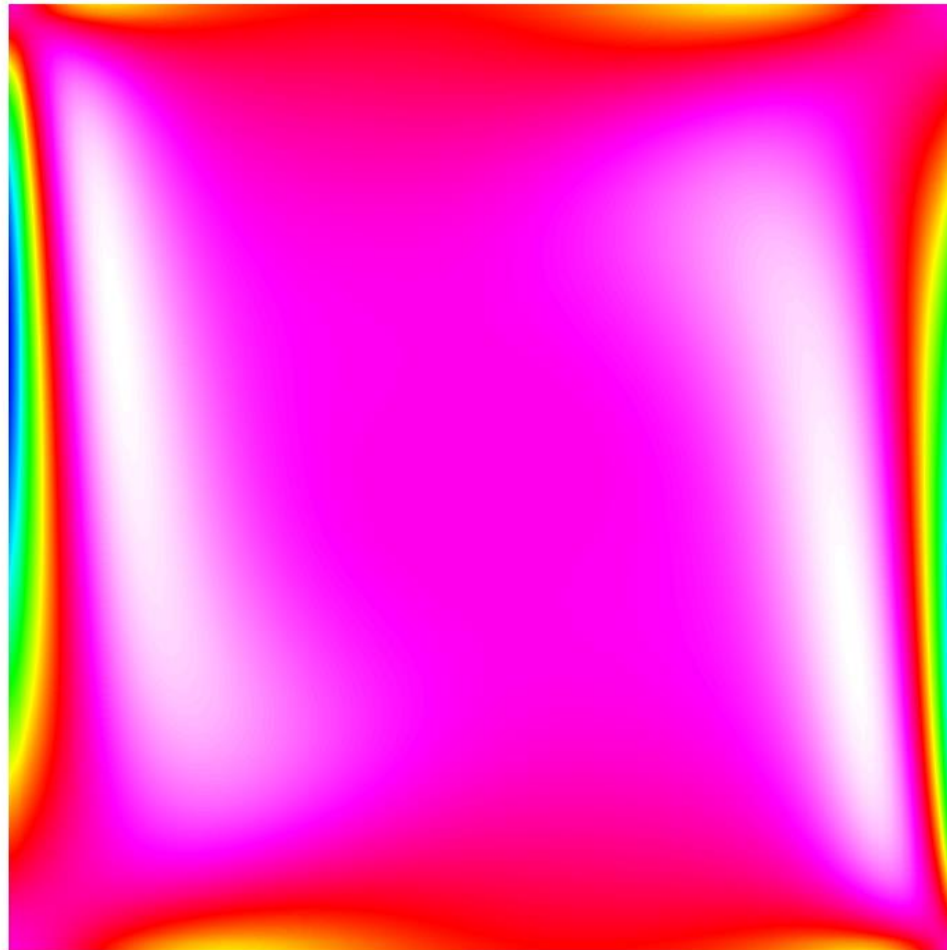


Velocity

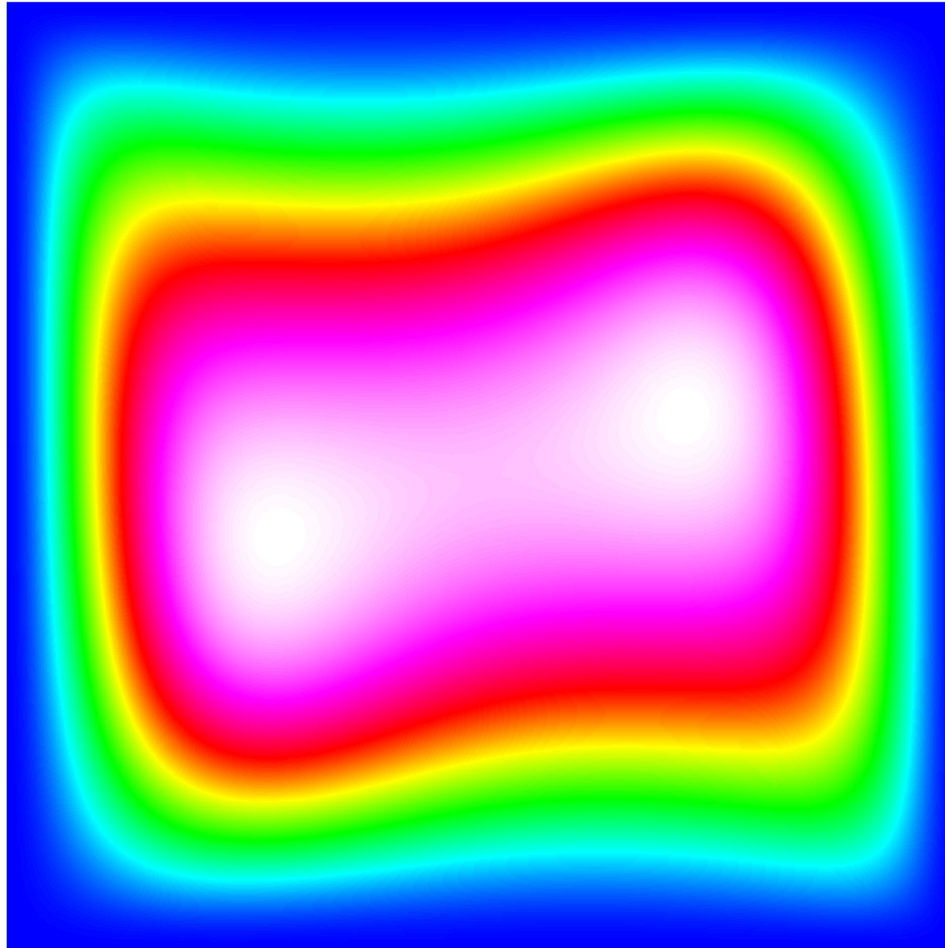
Case: Heat equation, primary field



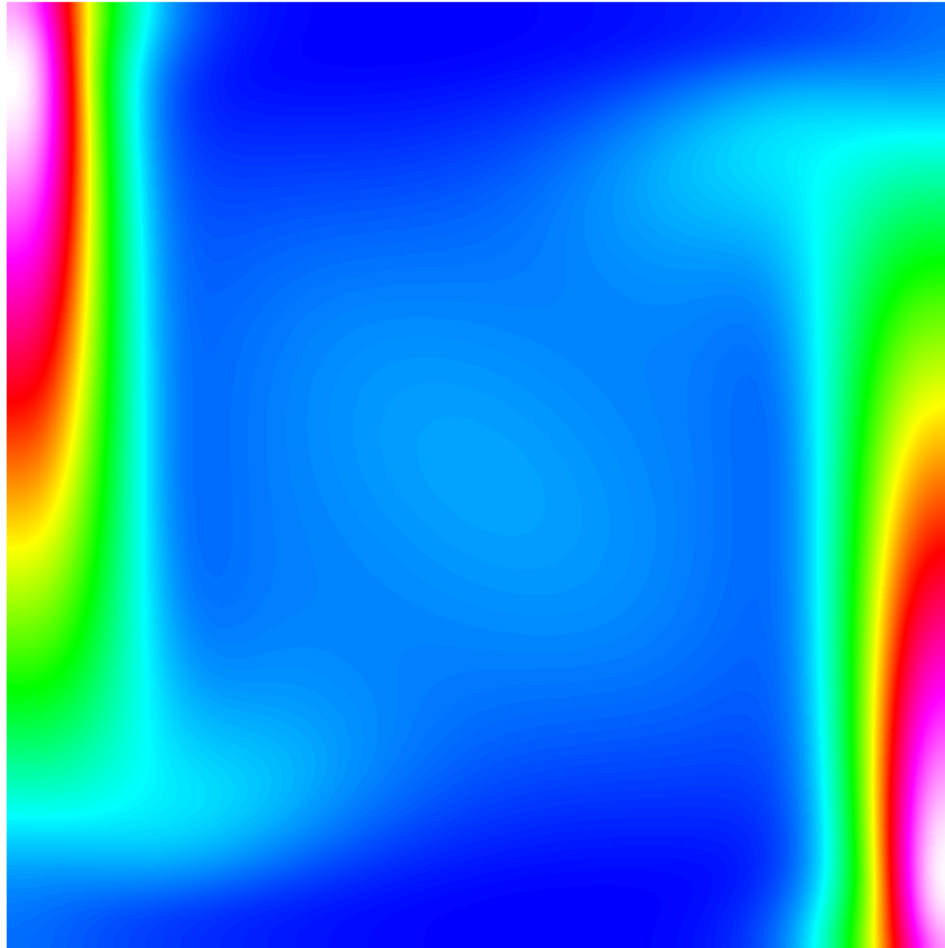
Case: Derived field, vorticity



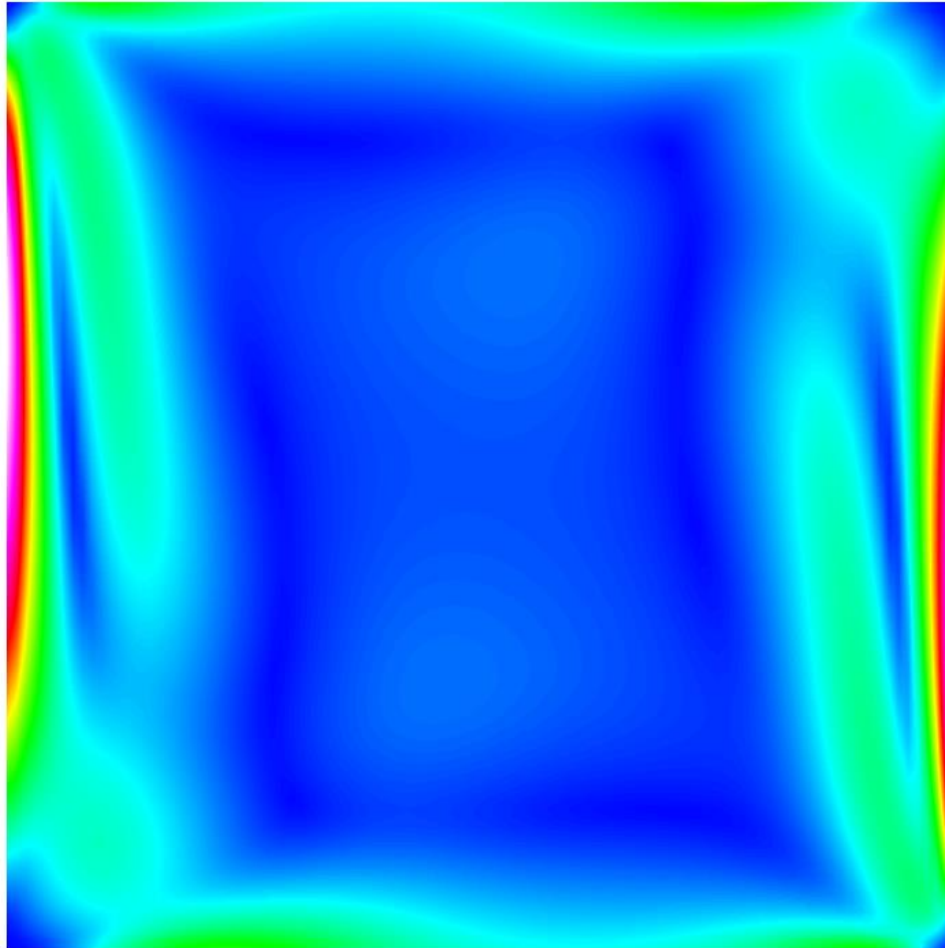
Case: Derived field, Streamlines



Case: Derived field, diffusive flux



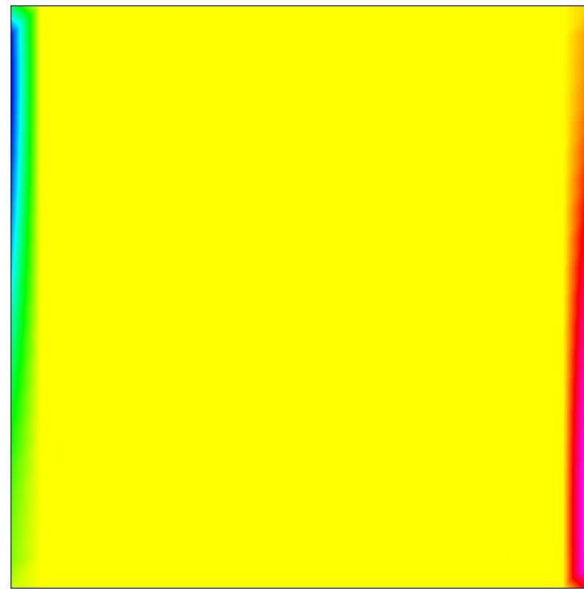
Case: Derived field, Shearrate



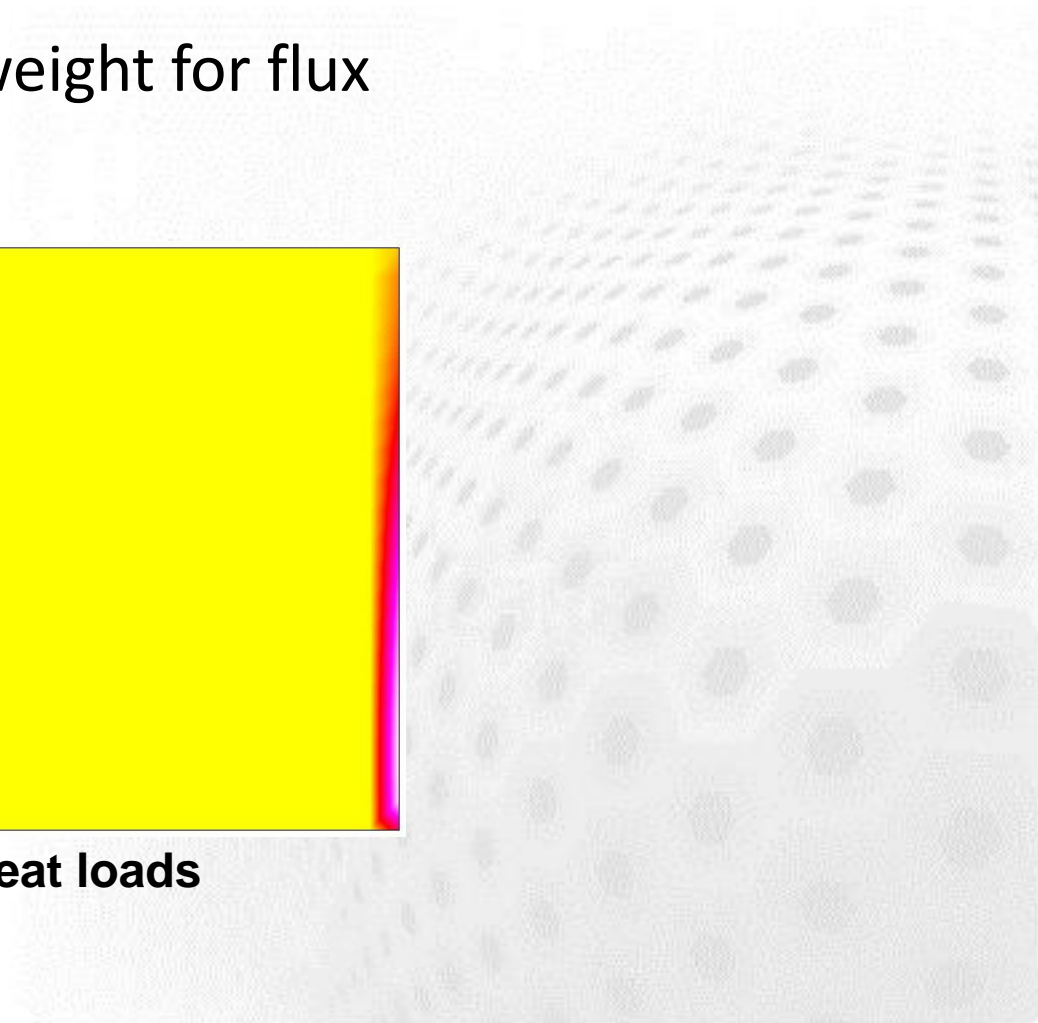
Example: nodal loads



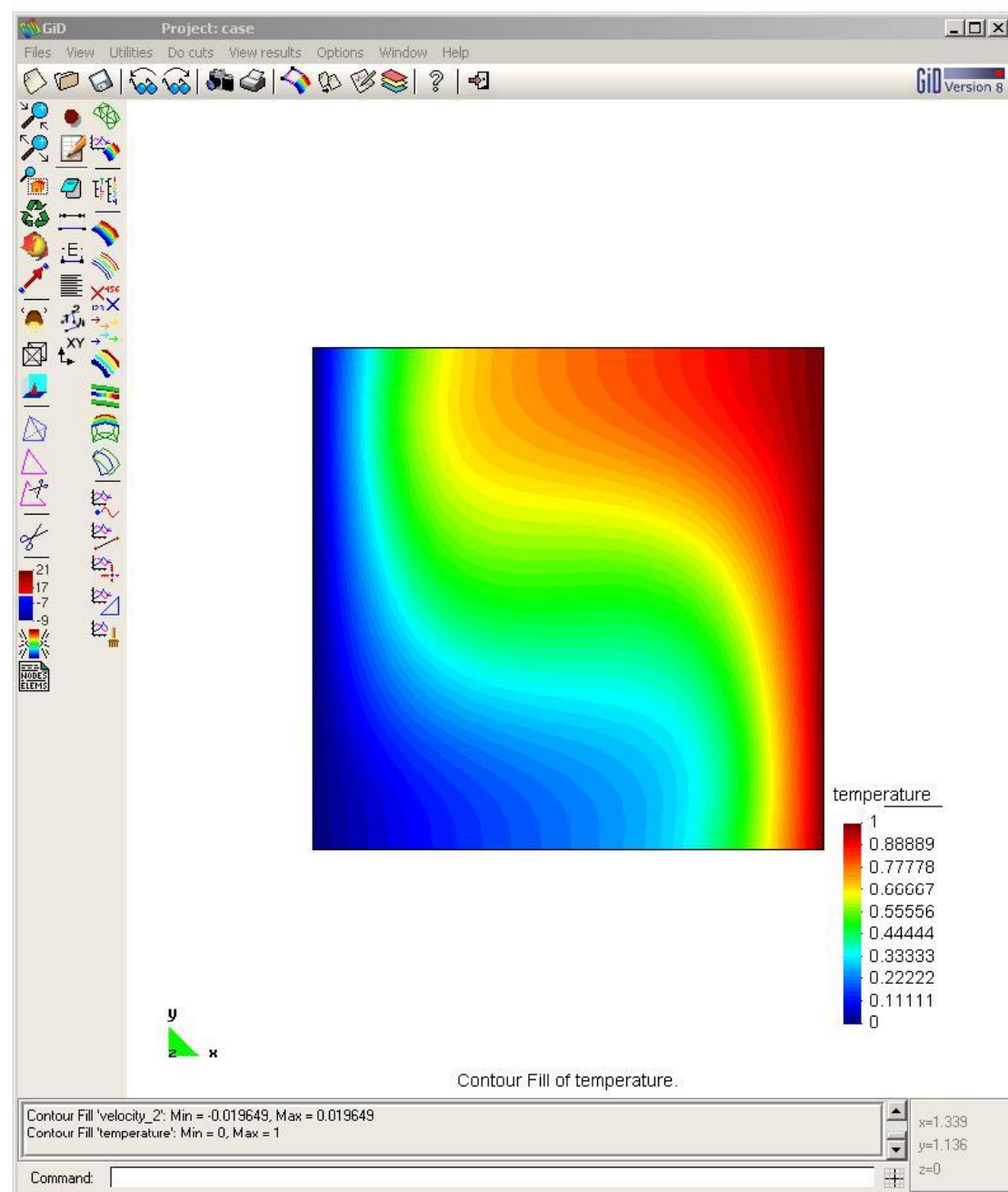
- If equation is solved until convergence nodal loads should only occur at boundaries
- Element size $h=1/20 \sim$ weight for flux



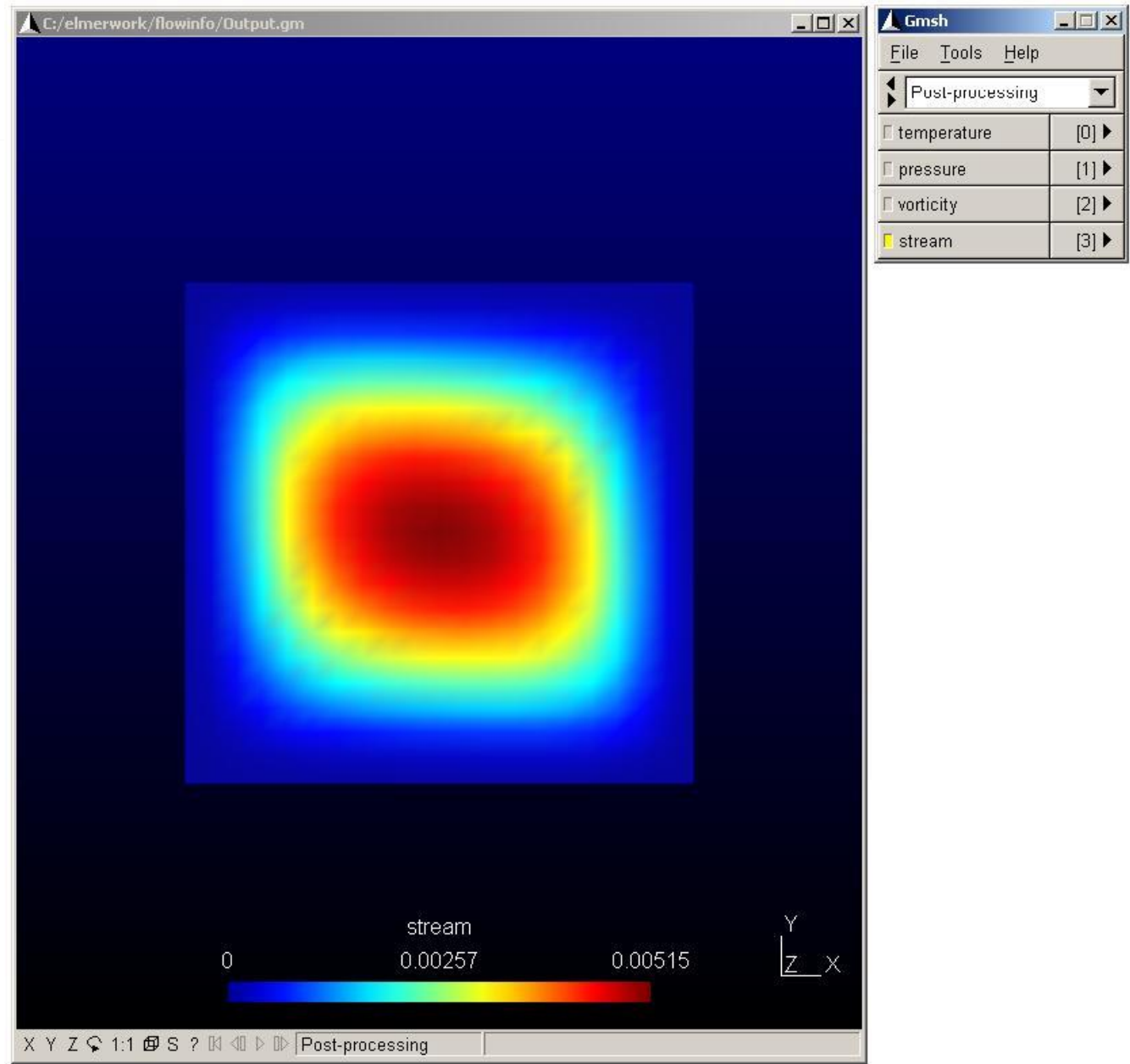
Nodal heat loads



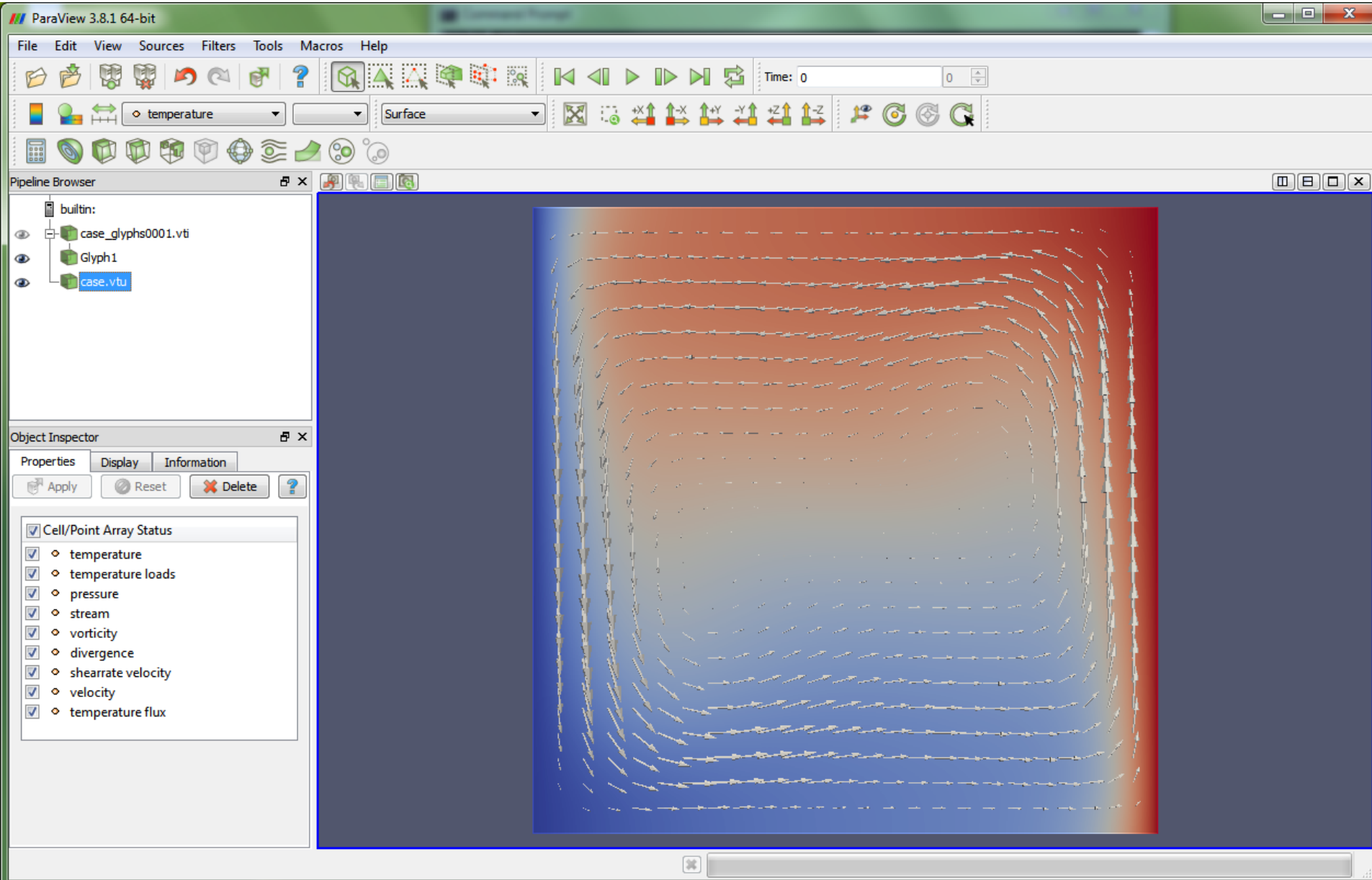
Example: view in GiD



Example: view in Gmsh



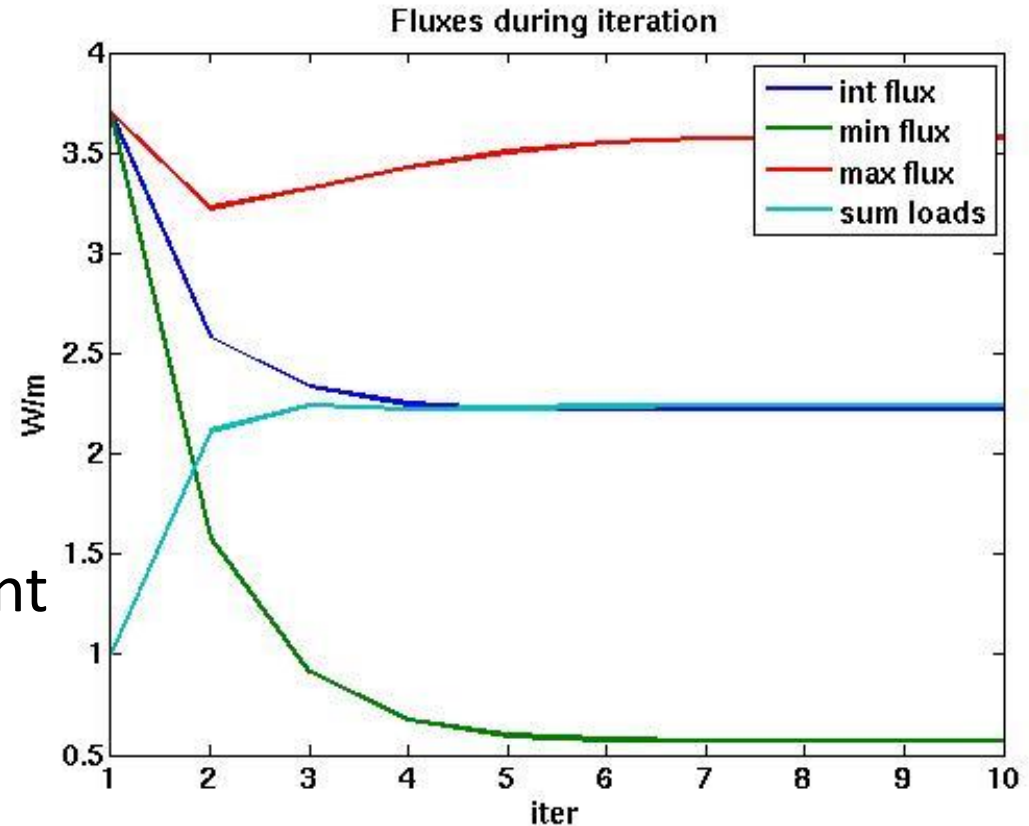
Case: View in Paraview



Example: total flux



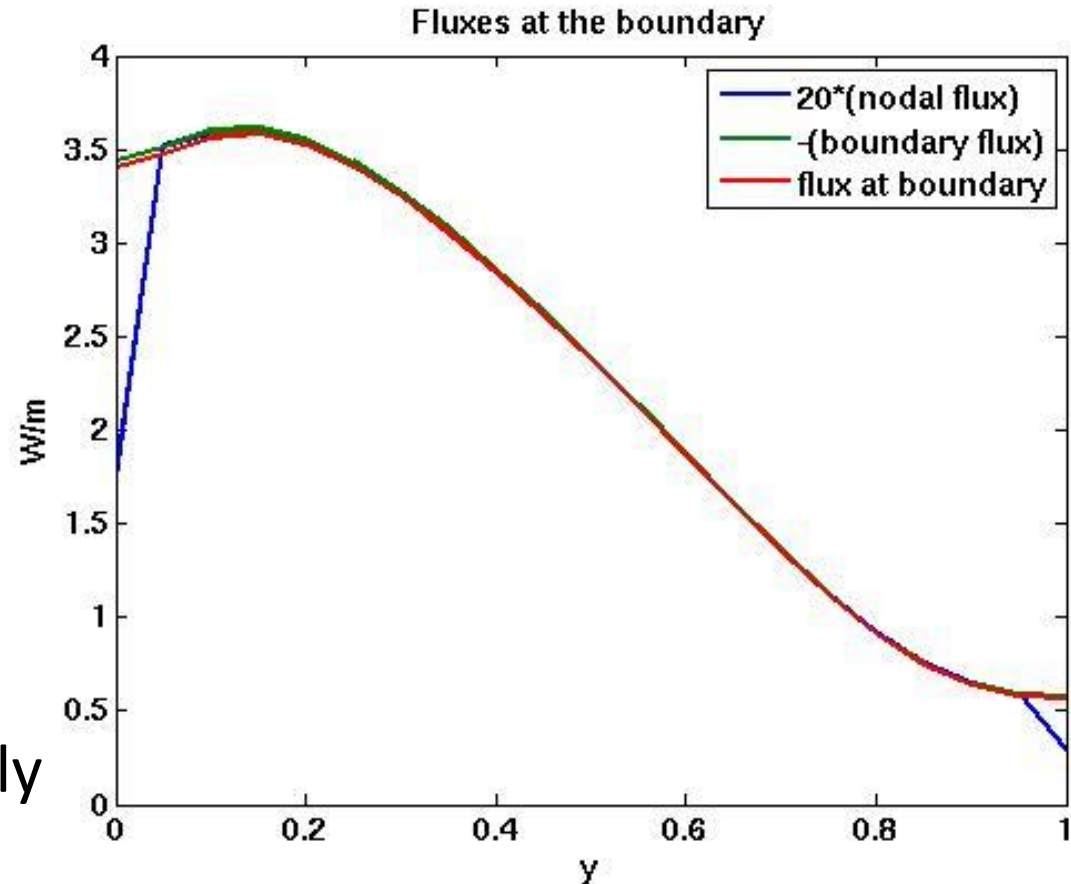
- Saved by SaveScalars
- Two ways of computing the total flux give different approximations
- When convergence is reached the agreement is good



Example: boundary flux



- Saved by SaveLine
- Three ways of computing the boundary flux give different approximations
- At the corner the nodal flux should be normalized using only $h/2$



Exercise



- Study the command file with 12 solvers
- Copy-paste an appropriate solver from there to some existing case of your own
 - ResultOutputSolver for VTU output
 - StreamSolver, VorticitySolver, FluxSolver,...
- Note: Make sure that the numbering of Solvers is consistent
 - Solvers that involve finite element solution you need to activate by **Active Solvers**
- Run the modified case
- Visualize results in ElmerPost or Paraview

Conclusions



- It is good to think in advance what kind of data you need
 - 3D volume and 2D surface data
 - Derived fields
 - 1D line data
 - 0D lumped data
- Internal strategies may allow better accuracy than doing the analysis with external postprocessing software
 - Consistent use of basis functions to evaluate the data
- Often the same reduction operations may be done also at later stages but with significantly greater effort